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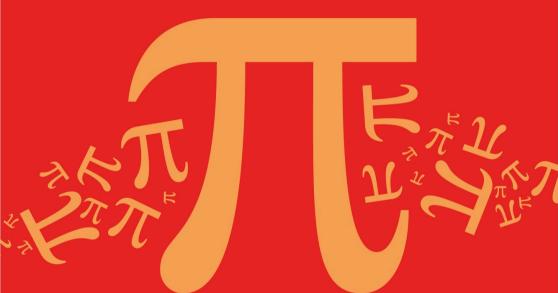
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## Pearson Edexcel Level 3 Advanced GCE Topic Questions



**Further Mathematics (9FM0)** Core Pure, Further Statistics 1, Further Decisions 1

Suitable for Students Studying Further Mathematics (9FM0)

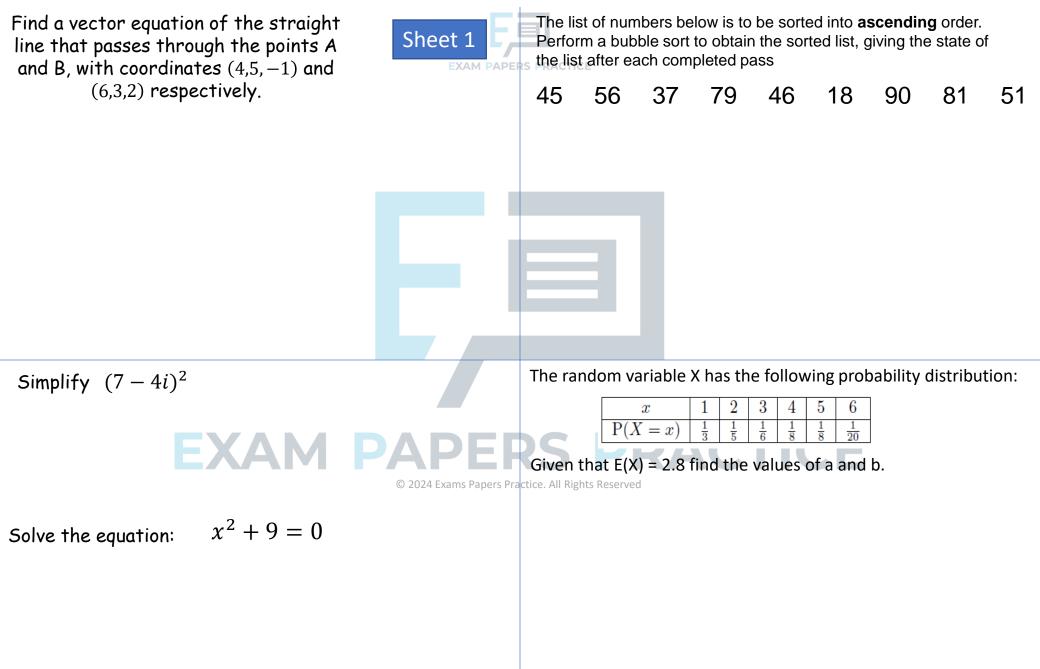
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## AS and A Edexcel Further Maths – Skills Revision

## Core Pure, Further Statistics 1, Further Decision 1

This pack is intended for students to use once they have covered the AS content, either in preparation for their AS exam, or more likely <u>alongside year 2</u> of the course to improve fluency, recall and pace on AS topics. It could be used as <u>lesson starters</u>, or supplied to students for <u>independent use</u>.



Represent the following complex numbers on an Argand diagram:

 $z_1 = 2 + 5i$  $z_2 = 3 - 4i$  $z_3 = -4 + i$ 

Find the magnitude of |OA|, |OB| and |OC|, where O is the origin of the Argand diagram, and A, B and C are  $z_1$ ,  $z_2$  and  $z_3$  respectively

Sheet 2

The following list gives the names of some students who have represented Britain in the International Mathematics Olympiad.

EXAM PAPERS PRACT

Roper (R), Palmer (P), Boase (B), Young (Y), Thomas (T), Kenney (K), Morris (M), Halliwell (H), Wicker (W), Garesalingam (G).

Use the quick sort algorithm to sort the names above into alphabetical order.

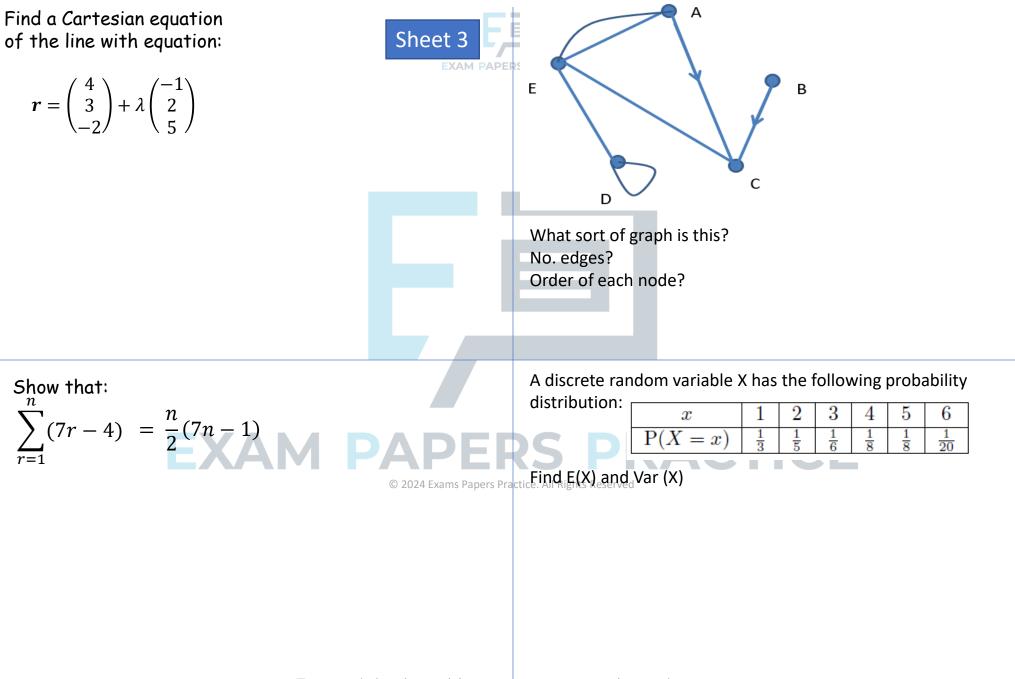
The straight line *l* has vector equation: r = (3i + 2j - 5k) + t(i - 6j - 2k)

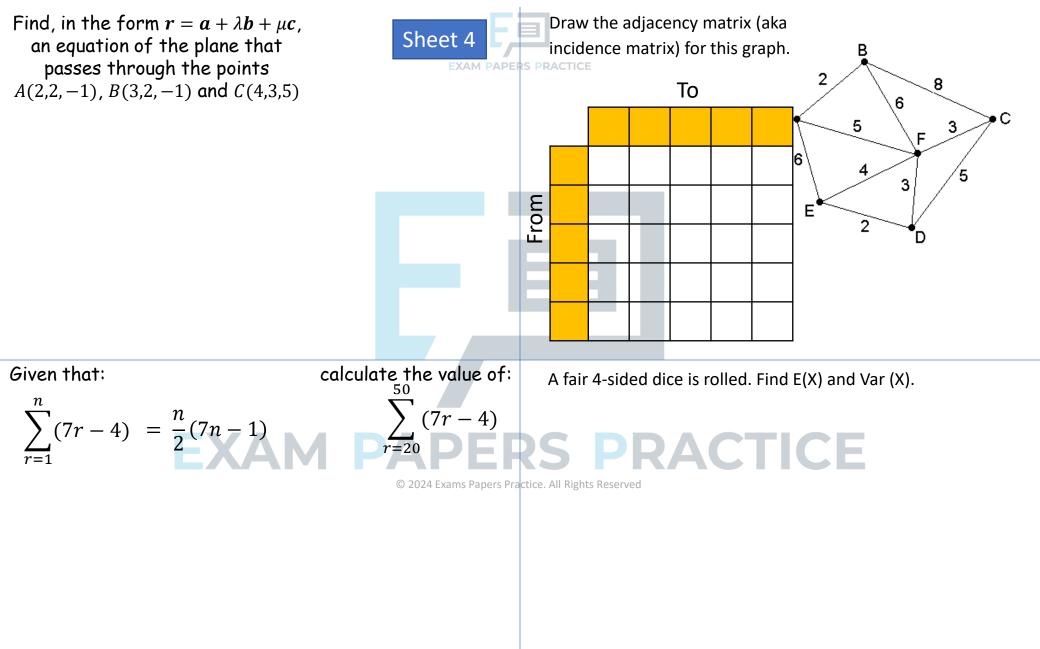
Given that the point (a, b, 0) lies on l, find the value of a and the value of b.

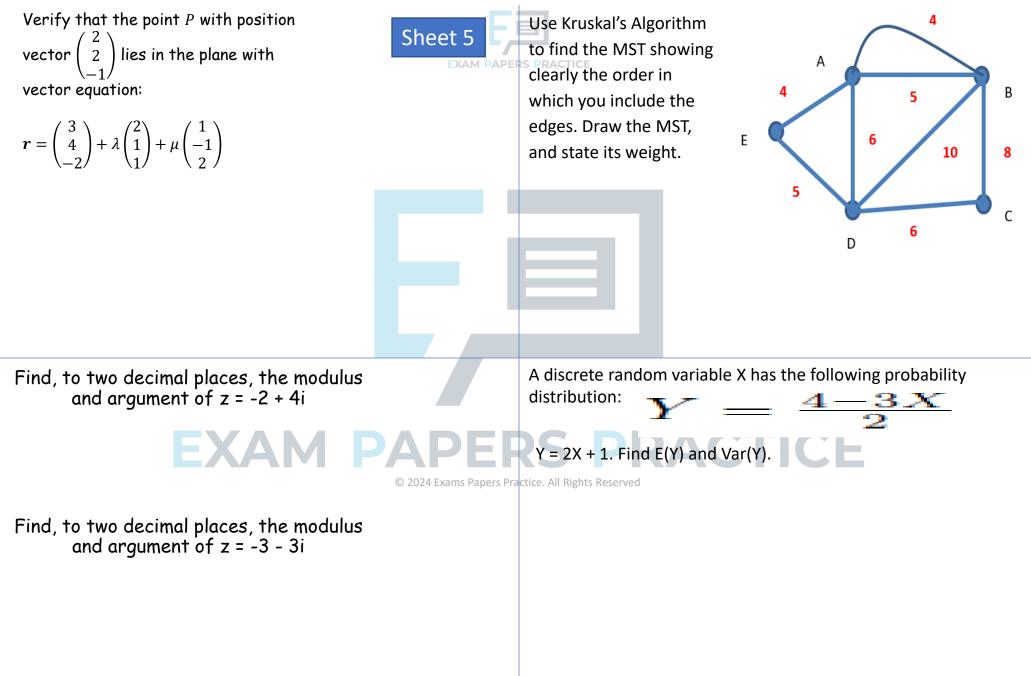
A discrete random variable X has the following probability distribution:

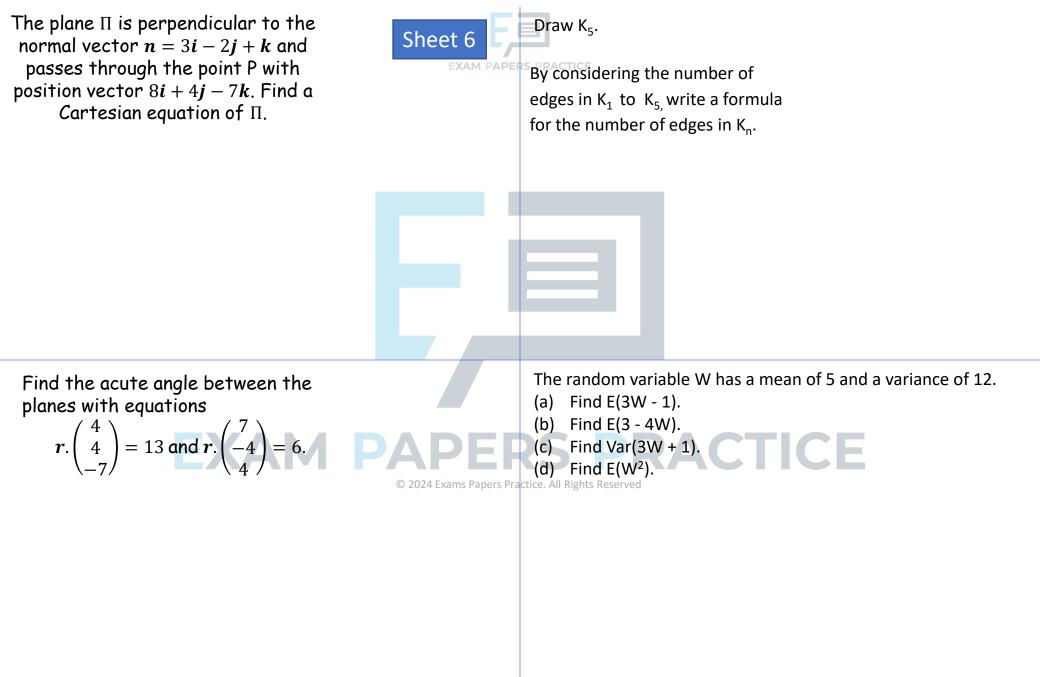
ι.	x	1	2	3	4	5	6
	$\mathbf{P}(X=x)$	$\frac{1}{3}$	$\frac{1}{5}$	$\frac{1}{6}$	$\frac{1}{8}$	$\frac{1}{8}$	$\frac{1}{20}$

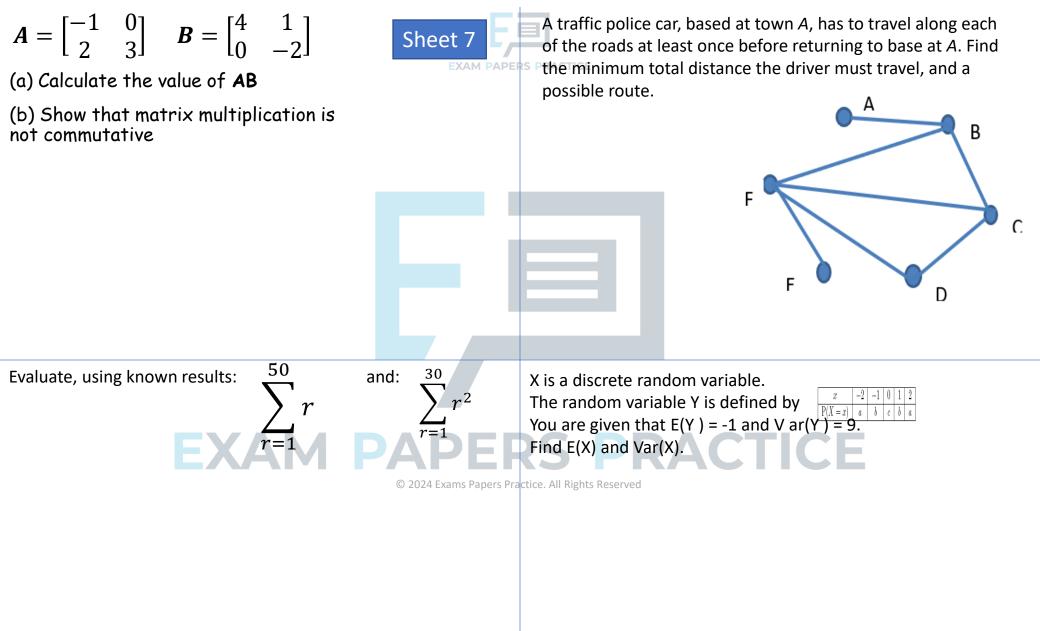
© 2024 Exams Papers Practice, All Rights Reprobability distribution of X<sup>2</sup>.

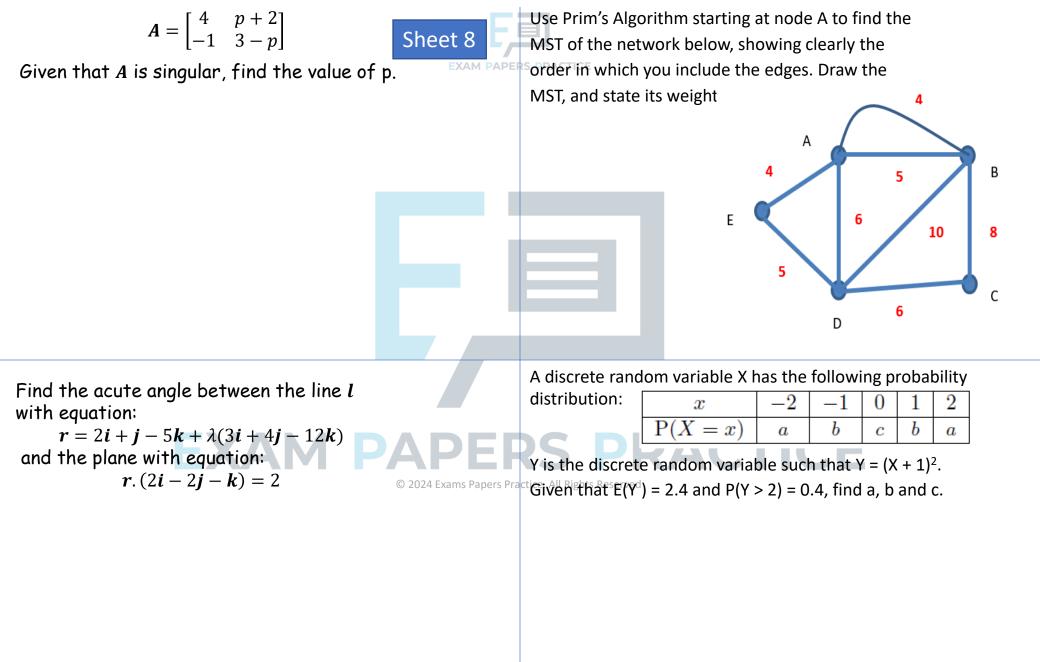


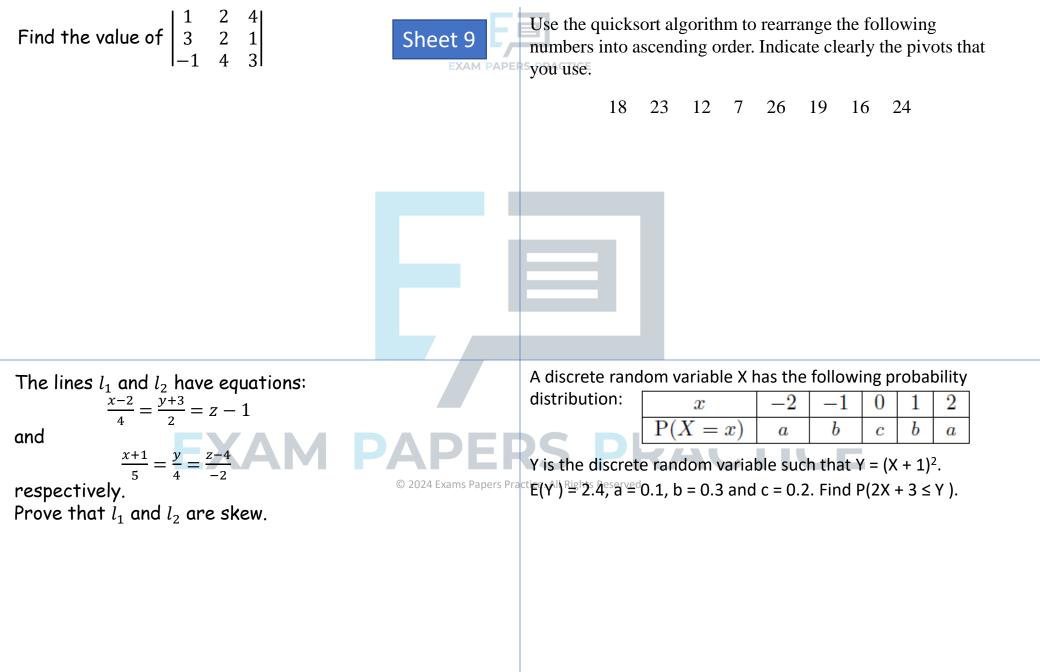


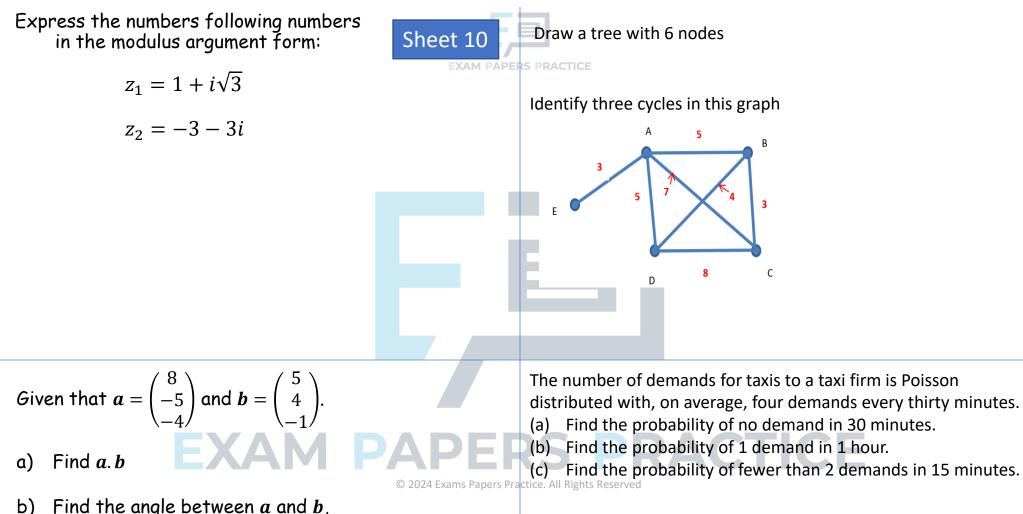




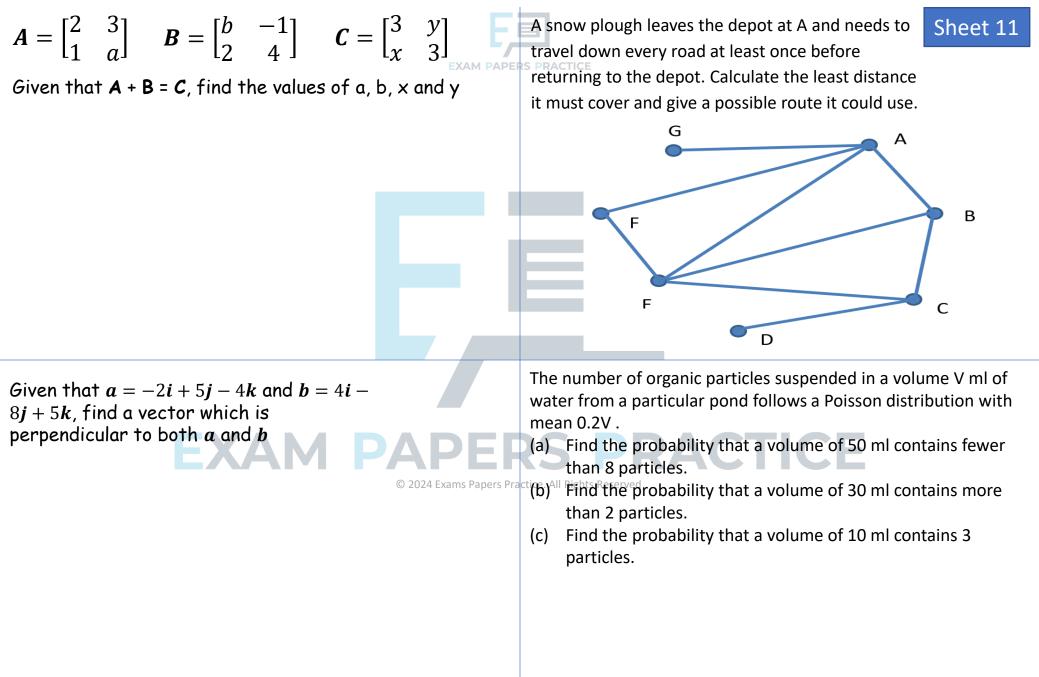








 Find the angle between a and b, giving your answer in degrees to 1 decimal place



## Write z = 4 + 5i in modulus-argument form.



Express the following calculation in the form x + iy:

$$3\left(\cos\frac{5\pi}{12} + i\sin\frac{5\pi}{12}\right) \times 4\left(\cos\frac{\pi}{12} + i\sin\frac{\pi}{12}\right)$$

HINT:  $z_1 z_2 = r_1 r_2 (cos(\theta_1 + \theta_2) + isin(\theta_1 + \theta_2))$ 

Given that the vectors a = 2i - 6j + k and  $b = 5i + 2j + \lambda k$  are perpendicular, find the value of  $\lambda$ .

The numbers in the list above represent the lengths, in metres, of ten lengths of fabric. They are to be cut from rolls of fabric of length 60m.

28

16 9

10

12

38

17

23

(a) Calculate a lower bound for the number of rolls needed.

(b) Use the first-fit bin packing algorithm to determine how these ten lengths can be cut from rolls of length 60m.

(c) Use full bins to find an optimal solution that uses the minimum number of rolls.

The number of organic particles suspended in a volume V ml of water from a particular pond follows a Poisson distribution with mean 0.2V .

Find the smallest value of x such that the probability that there are more than x particles in a volume of 80ml is less than 0.15.

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Given that |z - 4| = 5What sort of graph is this? G Sheet 13 No. edges? Sketch the locus of z on an Argand a) Order of each node? EXAM PAPE diagram Handshake Lemma means what? b) Find the values of z that satisfy: В i) |z - 4| = 5 and Im(z) = 0ii) |z - 4| = 5 and Re(z) = 0Faulty components are detected at a rate of 2.5 per hour. The square S has coordinates (1,1), (3,1), Suggest a suitable model for the number of faulty (a) (3,3) and (1,3). components detected per hour. Find the coordinates of the vertices of (b) Describe, in the context of the question, two assumptions the image of S after the transformation you have made in part a for this model to be suitable. given by the matrix: © 2024 Exams Papers P (c)<sup>All</sup> Find<sup>®</sup>the<sup>®</sup>probability of 2 faulty components being detected  $M = \begin{bmatrix} -1 & 2 \\ 2 & 1 \end{bmatrix}$ in a 1-hour period. Find the probability of at least 6 faulty components being (d) detected in a 3-hour period.

Given that the complex number z = x + iy satisfies the equation:  z - 12 - 5i  = 3	Sheet 14 EXAM PAPER	heet 14 order. Perform a bubble sort to obtain the sorted list, giving the state of the list after each completed pass							
Find the minimum and maximum values of  z		52	48	50	45	64	47	53	
Find the coordinates of the point of intersection of the line <i>l</i> and the plane $\Pi$ where <i>l</i> has equation: $r = -i + j - 5k + \lambda(i + j + 2k)$ And $\Pi$ has equation: r.(i + 2j + 3k) = 4	<b>APEF</b> © 2024 Exams Papers Pra	which hav (a) Calcu from	re mode ve Poisso ilate the the two flate the	lled by ir on distrib probabi sources	ndepend outions v lity that is less t lity that	dent ran with mea the tota han 6. tin any s	dom var ans 5 an al numbe second tl	iables X and Y d 8 respectively. er of emissions he total number	

Given that **BA** = 0, calculate **AB** in terms of a.  $A = \begin{bmatrix} -1 \\ a \end{bmatrix} \qquad B = \begin{bmatrix} b & 2 \end{bmatrix}$ 



By using Prim's Algorithm on the matrix below starting at node A, find the MST of the network. State clearly the order in which you included the edges, and draw the MST

	A	В	С	D	E	F
A	-	4	9	12	7	6
В	4	-	7	8	10	8
C	9	7	-	11	-	7
D	12	8	11	-	2	3
E	7	10	-	2	-	5
F	6	8	7	3	5	-

The lines  $l_1$  and  $l_2$  have vector equations:

 $r = \begin{pmatrix} 3 \\ 1 \\ 1 \end{pmatrix} + \lambda \begin{pmatrix} 1 \\ -2 \\ -1 \end{pmatrix}$ and

$$\boldsymbol{r} = \begin{pmatrix} 0\\-2\\3 \end{pmatrix} + \mu \begin{pmatrix} -5\\1\\4 \end{pmatrix}$$

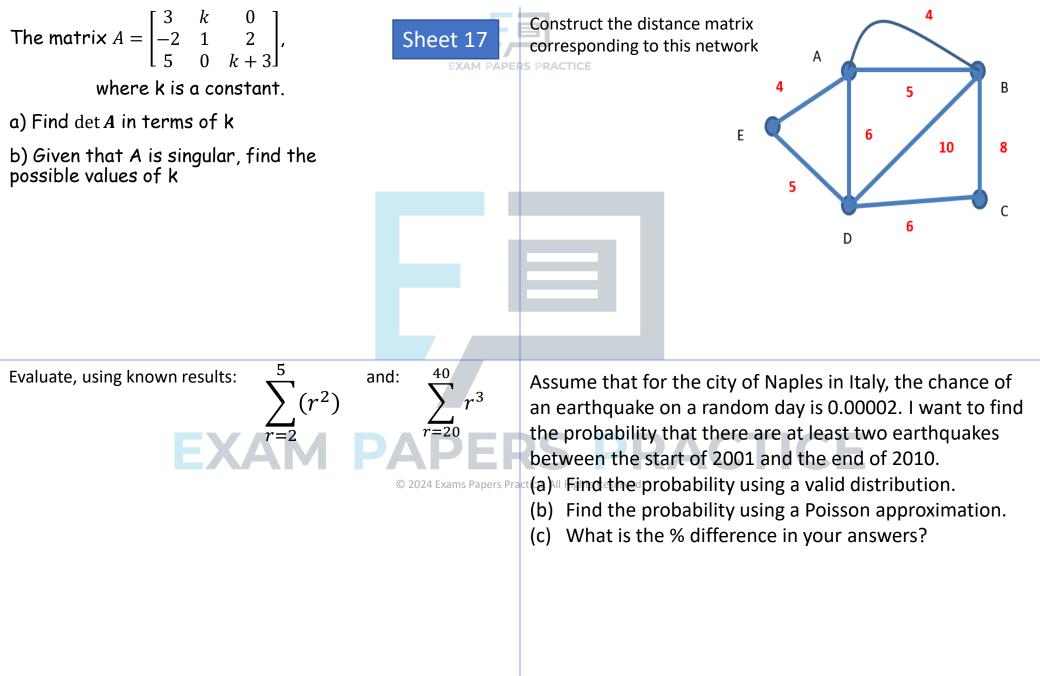
Show that the lines intersect, and find their point of intersection.

A student is investigating the number of tulips, x, in each of 100 randomly selected squares within a field. The results can be summarised as:  $\sum x = 143$ ,  $\sum x^2 = 347$ .

ms Papers Practice. (a) Calculate the mean and variance of the number of tulips per square for the 100 squares.

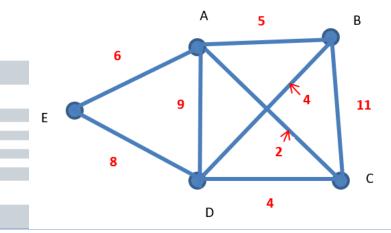
- (b) Explain why the results in part a suggest that a Poisson distribution may be a suitable model for the number of tulips per square for the 100 squares.
- (c) Using a suitable value of , estimate the probability that exactly 3 tulips will be found in a randomly selected square.

Describe fully the geometrical transformation represented by this matrix: $\begin{bmatrix} 3 & 0 \\ 0 & 3 \end{bmatrix}$	29 52 73 87 74 47 38 61 41 The numbers in the list represent the lengths in minutes of nine radio programmes. They are to be recorded onto tapes which each store up to 100 minutes of programmes. ( <i>a</i> ) Obtain a lower bound for the number of tapes needed to store the nine programmes.
Find a matrix to represent the transformation: 'Rotation of 45° anticlockwise about (0,0)'	<ul> <li>(b) Use the first-fit bin packing algorithm to fit the programmes onto the tapes.</li> <li>(c) Use the first-fit decreasing bin packing algorithm to fit the programmes onto the tapes.</li> </ul>
The line <i>l</i> has equation: $r = \begin{pmatrix} -2 \\ 1 \\ 4 \end{pmatrix} + \lambda \begin{pmatrix} 1 \\ -2 \\ 1 \\ 1 \end{pmatrix}$ The point <i>P</i> has position vector: $\begin{pmatrix} 2 \\ 1 \\ 3 \end{pmatrix}$ Show that <i>P</i> does not line on <i>l</i> .	<ul> <li>The probability that a patient has a particular disease is 0.008.</li> <li>One day 80 people go to their doctor.</li> <li>(a) Let X = number of patients with the disease. State the distribution, with parameters, of X.</li> <li>(b)<sup>AII</sup> Using a suitable approximation, what is the probability that exactly 2 of the patients have the disease?</li> <li>(c) What is the probability that 3 or more of them have the disease?</li> </ul>



Show that the shortest distance between the parallel lines with equations:  $r = i + 2j - k + \lambda(5i + 4j + 3k)$ and  $r = 2i + k + \mu(5i + 4j + 3k)$ is  $\frac{21\sqrt{2}}{10}$ 

A council employee needs to check the condition of the roads. To do this she needs to start at her office at A, travel down each road at least once, and return to her office. She wishes to travel the least possible distance. Find the distance she must travel, and one possible route she could take.



The following matrices represent three different transformations:

 $\boldsymbol{P} = \begin{bmatrix} 1 & 1 \\ 2 & 3 \end{bmatrix} \qquad \boldsymbol{Q} = \begin{bmatrix} 1 & 2 \\ 0 & 1 \end{bmatrix} \qquad \boldsymbol{R} = \begin{bmatrix} 3 \\ -1 \end{bmatrix}$ 

Find the matrix representing the transformation represented by **R**, followed by **Q**, followed by **P** and give a geometrical interpretation of this transformation. The random variable X has a Poisson distribution believed to have a mean of 5. A single observation of X has the value 10. Test, at the 10% significance level, whether the mean is equal to 5.

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Sheet 18

The triangle T is rotated 90° anticlockwise around (0,0) and then the image T' is reflected in the line y = x to obtain the triangle T".

- a) i) Find the matrix **P** such that P(T) = T'
  - ii) Find the matrix  $\mathbf{Q}$  such that  $\mathbf{Q}(T') = T''$

b) By finding a matrix product, find the single matrix that will perform a 90° anticlockwise rotation followed by a reflection in y = x

Sheet 19 There are five mathematicians who are members of a committee

EXAM PAPERS PRACTICE

Newton (N), Euler (E), Descartes (D), Pythagoras (P) and Archimedes (A).

Use a bubble sort algorithm to rearrange the names into alphabetical order, showing the new arrangement after each comparison.

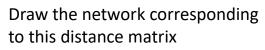
The points A, B and C have coordinates (2, -1, 1), (5, 1, 7) and (6, -3, 1) respectively.

a) Find  $\overrightarrow{AB}$ .  $\overrightarrow{AC}$ 

b) Hence, or otherwise, find the area of triangle *ABC* 

ΕΧΔ

In the past, an office printer has failed, on average, once every four weeks. A new, more expensive, printer is on trial. The manufacturer claims that it is more reliable. In the first 44 weeks of use, the new photocopier fails 5 times. Assuming that the failures of the printer occur independently and at random, test, at the 5% significance level, whether there is evidence that the new printer is more reliable than the old one.



	Α	В	С	D
Α	-	14	11	-
В	14	-	7	-
С	11	7	-	20
D	-	-	20	-

Find a formula for the sum of the series:  $\sum_{r=1}^{n} r(r+3)(2r-1)$ 

Express the following calculation in the

form x + iy:

 $2\left(\cos\frac{\pi}{15} + i\sin\frac{\pi}{15}\right) \times 3\left(\cos\frac{2\pi}{5} - i\sin\frac{2\pi}{5}\right)$ 

HINT:  $z_1 z_2 = r_1 r_2 (cos(\theta_1 + \theta_2) + isin(\theta_1 + \theta_2))$ 

HINT :  $cos(-\theta) = cos\theta$  and  $sin(-\theta) = -sin\theta$ 

A company manufactures 60-watt light bulbs and, under normal conditions, 5% of the light bulbs are faulty. They are packed in boxes of 280. A box that is randomly chosen on a random day has 20 faulty light bulbs in. Using a Poisson approximation to the binomial distribution and a 5% level of significance, test whether the percentage of faulty light bulbs on that day is different from 5%.

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Sheet 20

EXAM PAPERS PRACTICE

The plane $\Pi$ has equation: r.(i + 2j + 2k) = 5 The point P has coordinates: (1,3,-2) Find the shortest distance between P and $\Pi$	Sheet 21 EXAM PAPER		algorithm to sort these letters into r, showing your pivots clearly at each stage G, A, Z, C, M, T, B
Given $\sum_{r=1}^{n} r(r+3)(2r-1) = \frac{n(n+1)(3n^2+13n-4)}{6}$ Calculate the following: $\sum_{r=11}^{40} r(r+3)(2r-1)$	© 2024 Exams Papers Pra	every 10 minutes (a) Using a 5% lev two-tailed test of received in a 10 r cticrejection in each not larger.	s that it receives emails at a mean rate of four s. vel of significance, find the critical region for a f the hypothesis that the mean number of emails minute period is not 4. The probability of tail should be as close as possible to 0.025, but al level of significance of this test.

Determine whether each following can be evaluate the product:	· · · · · · · · · · · · · · · · · · ·	Sheet 22	Draw a semi-Eulerian graph with 6 nodes
$\boldsymbol{A} = \begin{bmatrix} 1 & -1 & 2 \end{bmatrix}$	a) <b>AB</b>		Draw a graph with 6 nodes and no
B = [3 -2]	b) <b>BC</b>		odd nodes that is <i>not</i> Eulerian
г41	c) <b>CA</b>		
$C = \begin{bmatrix} 4 \\ 5 \end{bmatrix}$	d) <b>BCA</b>		
Find, in terms of n: $\sum_{r=n+1}^{2n} r^2$ EX		<b>APER</b> © 2024 Exams Papers Pro	It is believed that the number of errors in a page of a manuscript word-processed by the school's secretary has a Poisson distribution with mean 1.4. (a) Using a 5% level of significance, find the critical region for a one-tailed test of the hypothesis that the mean number of errors in a page of a manuscript word-processed by the school's secretary is more than 1.4. (b) Find the actual level of significance of this test. (c) On a particular day, the headmaster counted 4 errors on a manuscript word-processed by the school's secretary. Comment on this observation in light of your critical region.

If:
$$argz = \frac{\pi}{4}$$
Sketch the locus of P(x,y) which is  
represented by z on an Argand  
diagram. Then find the Cartesian  
equation of this locus algebraically.Sheet 23Nine pieces of wood are required to build a small  
cabinet. The lengths, in cm, of the pieces of wood are  
listed below.20, 20, 20, 35, 40, 50, 60, 70, 75Planks, one metre in length, can be purchased at a cost  
of £3 each.Use the first fit algorithm to determine how many of  
these planks are to be purchased to make this cabinet.  
Find the total cost and the amount of wood wasted.The line l has equation: $\frac{x-1}{2} = \frac{y-1}{-2} = \frac{z+3}{-1}$ 0. Find the shortest distance between A and l.  
perpendicular to l, and passes through A.During winter months, the number of emergency calls received  
by a power company occur randomly at a uniform rate of 6 per  
day. They believe that the rate of calls has changed recently. To  
test this, the number of incoming calls during a 3-day period is  
recorded.b) Find a Cartesian equation of the line that is a town pare rate.  
(b) Find the actual level of significance, find the critical region for a  
two-tailed test of this hypothesis.  
(b) Find the actual level of significance of this test.  
(c) The actual number of calls recorded over the 3-day period was  
9. Comment on this observation in light of your critical region.

Find the perpendicular distance from the point with coordinates (3,2,-1) to the plane with equation 2x - 3y + z = 5

A die is thrown 120 times. Carry out a hypothesis test at the significance level of 5% to see whether the data indicates that the die is fair.

Two of the three graphs below are isomorphic

to each other. Which two?

$\mathbf{Score}$	1	2	3	4	5	6
<b>Observed Frequency</b>	15	29	14	18	20	24

For each of the matrices below, determine if they are singular and if they are not, find their inverse:

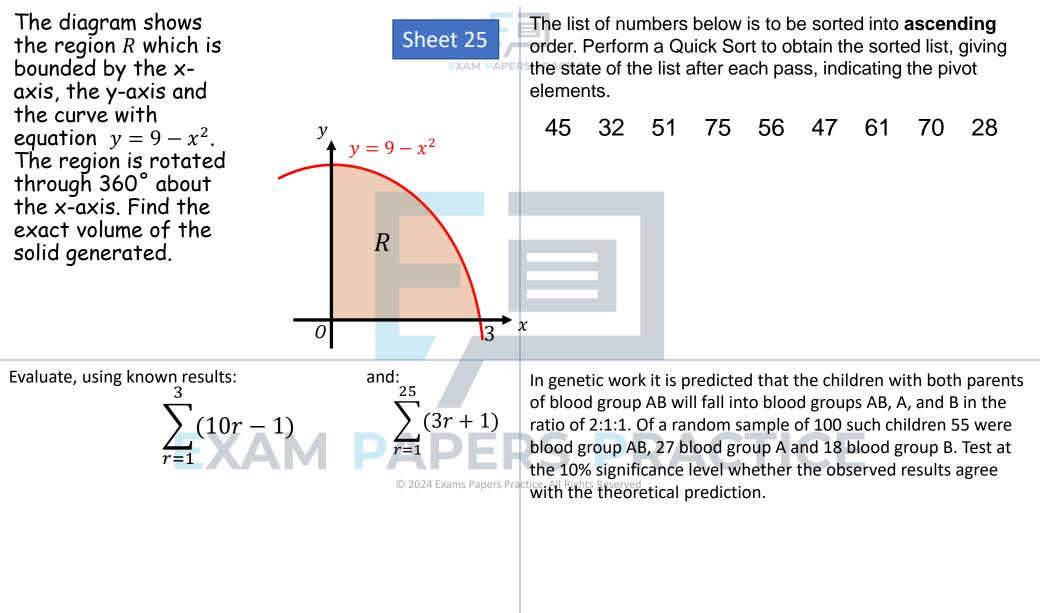
$$\boldsymbol{A} = \begin{bmatrix} 3 & 2 \\ -1 & 1 \end{bmatrix} \quad \boldsymbol{B} = \begin{bmatrix} 2 & 1 \\ 2 & 1 \end{bmatrix} \quad \boldsymbol{C}$$

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Sheet 24

EXAM PAPERS PRA



Shade on an Argand diagram the	Sheet 26	Draw the graph which has		Α	в	С	D	
region indicated by: $0 \le arg(z-2-2i) \le \frac{\pi}{4}$		this adjacency matrix (aka incidence matrix)		0	1	2	0	
$0 \leq arg(z-z-zt) \leq \frac{1}{4}$		incluence matrix)	в	1	2	1	0	
			С	2	1	0	1	
			D	0	0	1	0	
			- / -					<u> </u>
<b>A</b> and <b>B</b> are 2 x 2 non-singular matrices such that <b>BAB</b> = <b>I</b> .		Is a binomial distributio	• •	-	-			
		following data? Test at t		sig				evel.
a) Prove that $\mathbf{A} = \mathbf{B}^{-1}\mathbf{B}^{-1}$	PAPE	Number of heads	0	1		2	3	4
a) Prove that $\mathbf{A} = \mathbf{B}^{-1}\mathbf{B}^{-1}$ b) Given that $\mathbf{B} = \begin{bmatrix} 2 & 5 \\ 1 & 3 \end{bmatrix}$	© 2024 Exams Papers Pra		15	46	5	4	35	10
r1 21								
Find the matrix <b>A</b> such that <b>BAB</b> = <b>I</b>								

The diagram shows the curve with equation $y = \sqrt{x-1}$ . The region R is bounded by the	The list of numbers below is to be sorted into <b>ascending</b> order.
curve, the y axis and the lines $y = 1$ and $y = 3$ . The region is rotated 360° about the y axis.	8 4 13 2 17 9 15
Find the volume of the solid generated. y $y = \sqrt{x-1}$ R	Perform: (i)a <b>bubble sort</b> to obtain the sorted list, giving the state of the list after each completed pass. (ii)a <b>quick sort</b> to obtain the sorted list, giving the state of the list after each completed pass. eet 27
The Matrix $M = \begin{bmatrix} 2 & 0 \\ 0 & 4 \end{bmatrix}$ .	In routine tests of germination rates, carrot seeds are planted in rows of 5 and the number of seeds which have germinated in each row after a fixed time interval is counted. The table below
a) Describe fully the transformation represented by matrix <i>M</i>	shows the results for 100 such rows.
<ul> <li>b) A triangle T has vertices at (1,0),</li> <li>(4,0) and (4,2). Find the area of the triangle</li> </ul>	Number of rows $(f_r)$ 0         0         8         23         43         26
c) Triangle T is transformed by using matrix M. Find the area of the image of T.	<ul> <li>(a) Use the data to estimate a value for p, the probability that a seed germinates.</li> <li>(b) Calculate the expected frequencies for the model B(5, p). Hence, use a 2 goodness of t test at the 5% significance level to test the suitability of the model B(5, p).</li> </ul>

The lines  $l_1$  and  $l_2$  have equations:

$$\boldsymbol{r} = \begin{pmatrix} 1\\0\\0 \end{pmatrix} + \lambda \begin{pmatrix} 0\\1\\1 \end{pmatrix} \quad \boldsymbol{r} = \begin{pmatrix} -1\\3\\-1 \end{pmatrix} + \mu \begin{pmatrix} 2\\-1\\-1 \end{pmatrix}$$

Find the shortest distance between these two lines.

The numbers represent the lengths, in cm, of pieces to be cut from 20cm rods Use a first fit algorithm to identify the number of rods required and the wastage.

7

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9

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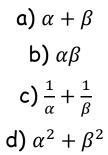
15

14

7

8

The roots of the quadratic equation  $2x^2 - 5x - 4 = 0$  are  $\alpha$  and  $\beta$ . Without solving the equation, find the values of:



The numbers of defects in 60 printed circuit boards were recorded and the results are shown in the table below. Can these results be modelled by a Poisson distribution? Test at the 5% significance level.

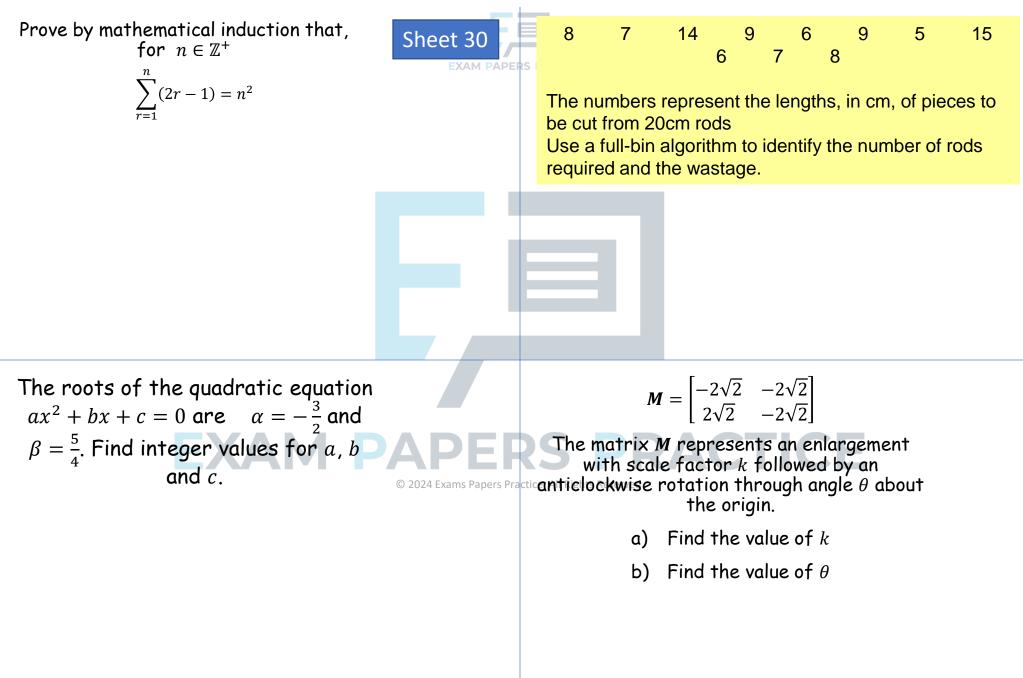
Number of observed defects $(r)$	0	1	<b>2</b>	3
Frequency $(f_r)$	32	15	9	4

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Sheet 28

EXAM PAPER

$\boldsymbol{A} = \begin{bmatrix} a & 0 \\ 1 & 2 \end{bmatrix}  \boldsymbol{B} = \begin{bmatrix} 1 & b \\ 0 & 3 \end{bmatrix}  \boldsymbol{C} = \begin{bmatrix} 6 & 6 \\ 1 & c \end{bmatrix}  \boldsymbol{F}$	8	7 14 9	6	95	15
Given that $\mathbf{A} + 2\mathbf{B} = \mathbf{C}$ , find the values of a, b and c	RS PF	6	7 8		
Sheet 29	be cut fr Use a fi	nbers represent th rom 20cm rods rst fit decreasing a of rods required a	algorithm to	identify the	
The straight line <i>l</i> has vector equation: $r = (2i + 5j - 3k) + \lambda(6i - 2j + 4k)$	voters. Resp and by thei	inion poll surveyed condents were class r voting preference shown in the contir	sified by the (Conservati	ir sex (male ve, Labour, o	or female) or others).
Show that another vector equation of $l$ is: $r = (8i + 3j + k) + \mu(3i - j + 2k)$	goodness-o	of-t test, at the 5% s erence and sex are i	ignificance l	evel, to see	whether
			preferenc		Total
		Conservative	Labour	Others	
	Male	200 250	150	50	400
	Female Total	450	300 450	50 100	600 1000
	rotar	-100	100	100	1000



Describe fully the geometrical transformation represented by this matrix: Sheet

 $\begin{bmatrix} -1 & 0 \\ 0 & -1 \end{bmatrix}$ 

Describe fully the geometrical transformation represented by this matrix:

$$\begin{bmatrix} 0 & -1 \\ -1 & 0 \end{bmatrix}$$

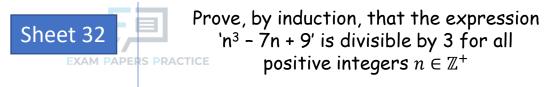
The lines  $l_1$  and  $l_2$  have vector equations:

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$$r = (2i + j + k) + t(3i - 8j - k)$$
  
And

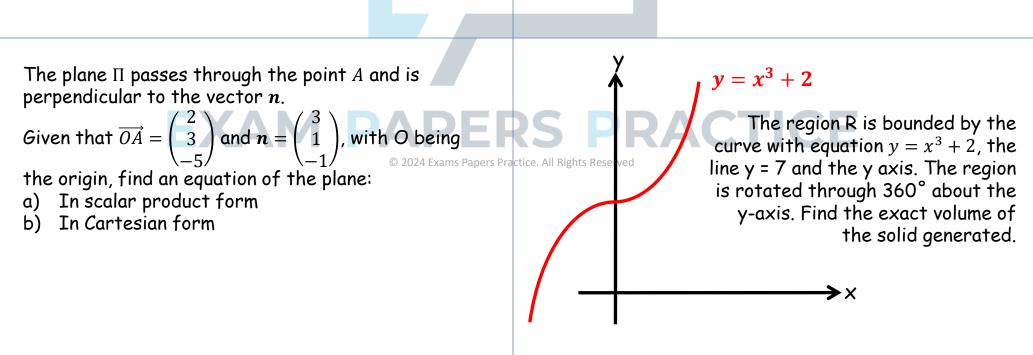
r = (7i + 4j + k) + s(2i + 2j + 3k)Given that  $l_1$  and  $l_2$  intersect, find the size of the acute angle between the lines, to 1 decimal place.

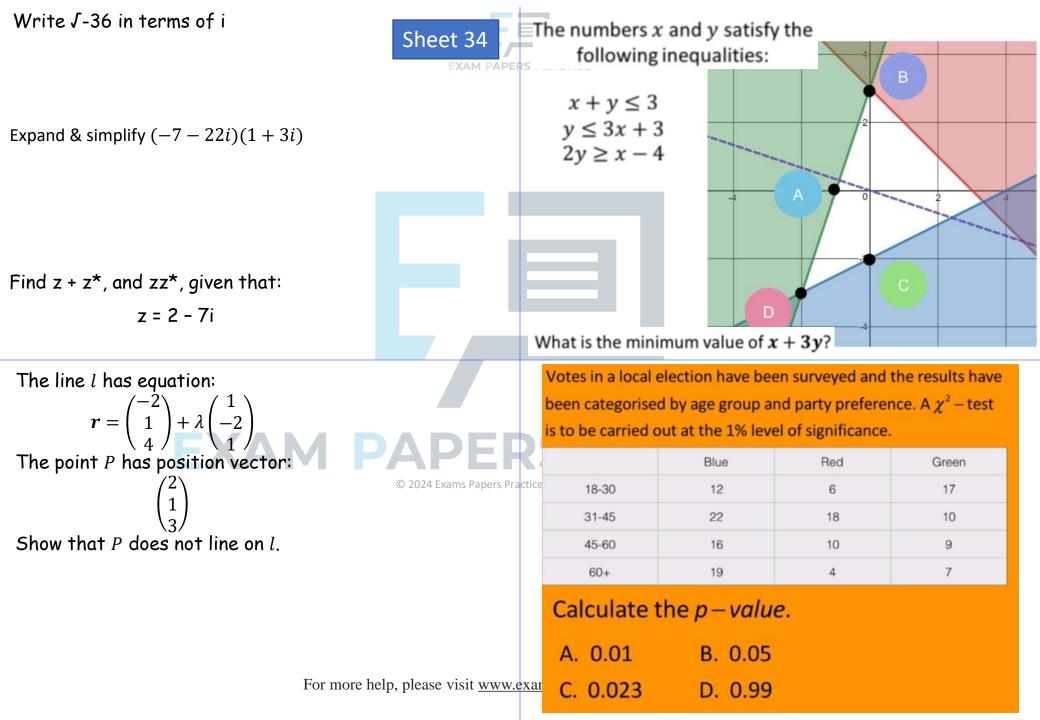
The region R is bounded by the line y = 5 - 2x, and the x and y axes. The region is rotated through 360° about the x-axis. Find the exact volume of the solid generated 2024 Exams Papers Practice. All Rights Reserved y = 5 - 2xThe region R is bounded by the line y = 5 - 2x, and the x and y axes. The region is rotated through 360° about the x-axis. Find the exact volume of the solid generated 2024 Exams Papers Practice. All Rights Reserved y = 5 - 2x

The roots of a cubic equation  $ax^3 + bx^2 + cx + d = 0$  are  $\alpha = 1 - 2i, \beta = 1 + 2i$  and  $\gamma = 2$ .

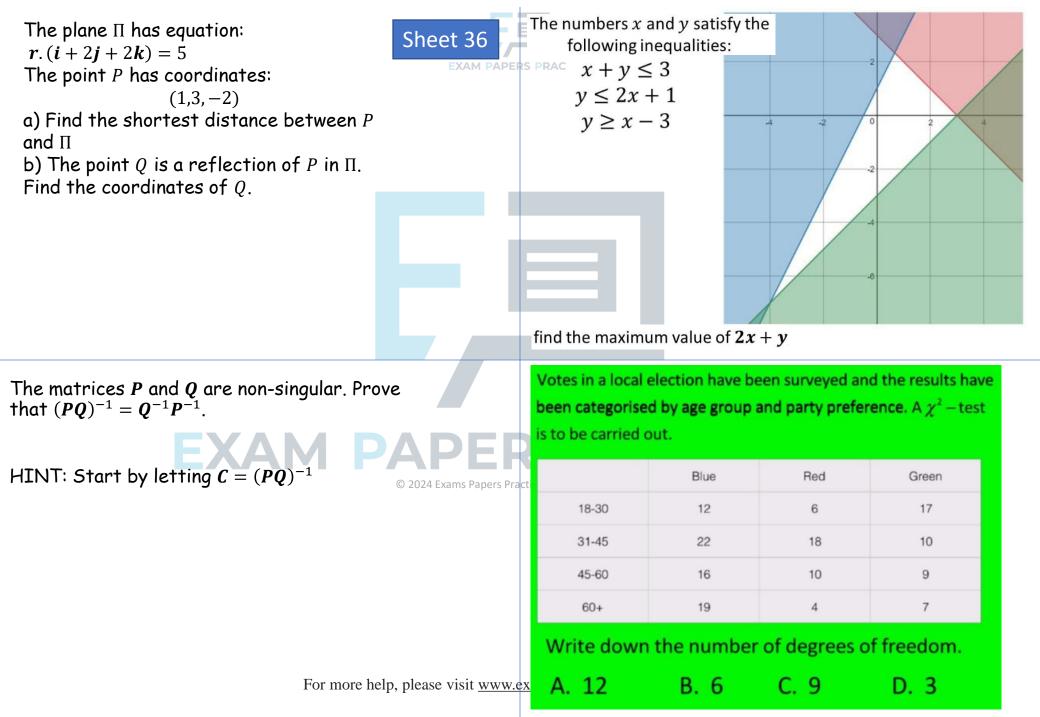


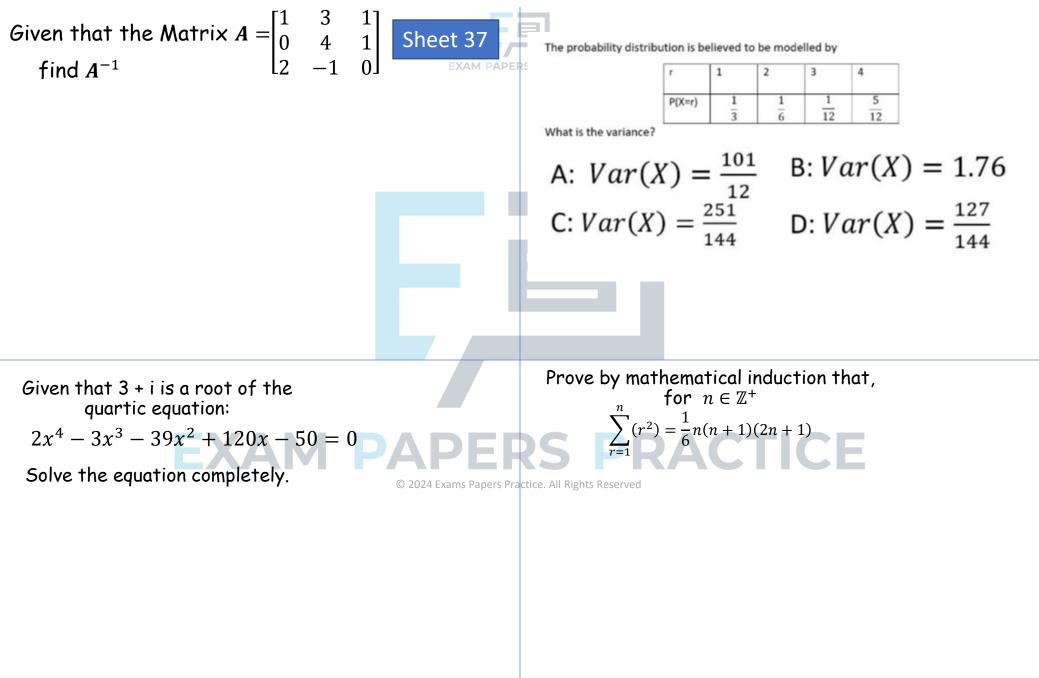
Find integer values for a, b, c and d.

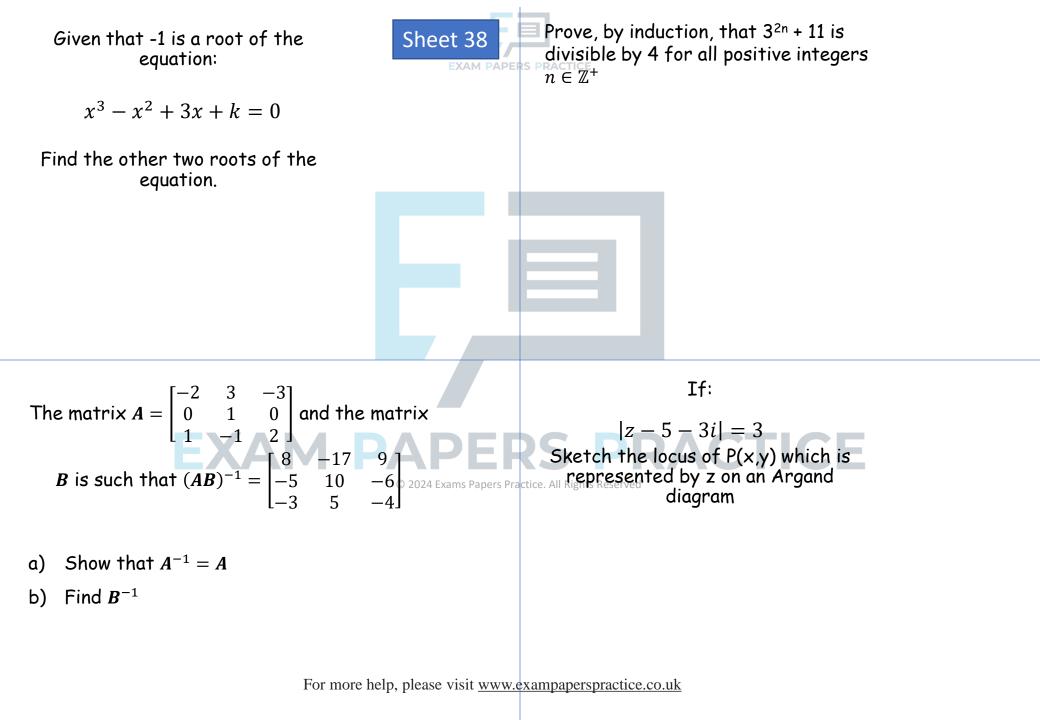


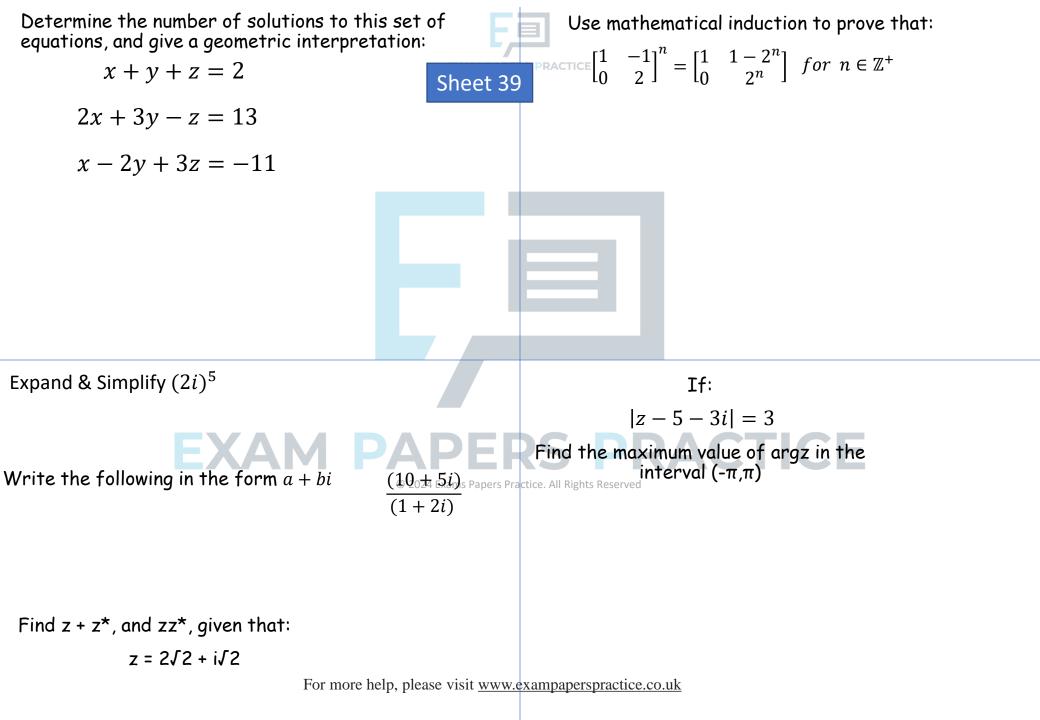


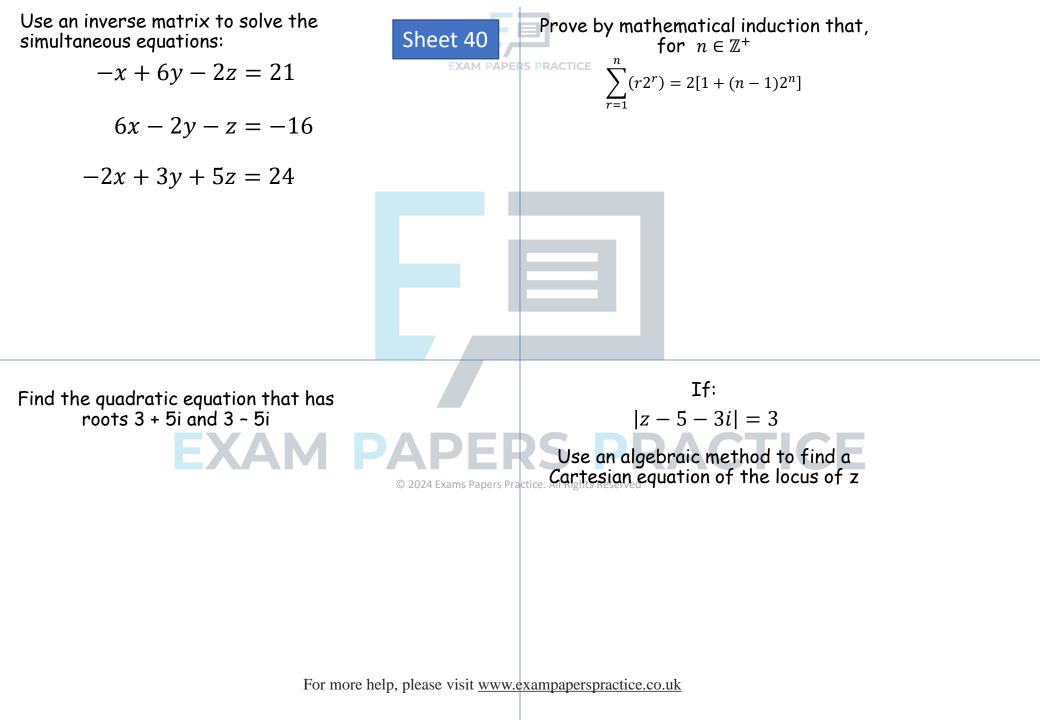
Write J-28 in terms of i	Sheet 35 EXAM PAPERS I	e the follow	ving LP:		
Expand & simplify $(2 - 3i)(4 - 5i)(1 + 3i)$	maxi subje		P = x + x + y = 2x + y = 2x + 5y	≤ 600	
Solve the equation: $x^2 + 6x + 25 = 0$	(a) $P = 2$ (c) $P = 2$				(b) <i>P</i> = 1250 (d) <i>P</i> = 2600
Find the equation of the straight line that passes through the point A, which has position vector $\begin{pmatrix} 3 \\ -5 \end{pmatrix}$ , and DDDE					
	© 2024 Exams Papers Practic	Favourite Holiday			
is parallel to the vector $\begin{pmatrix} 0\\ -3 \end{pmatrix}$ .		Beach	Adventure	Volunteer	
	Male	52	31	17	
The straight line <i>l</i> has vector equation:	Female	64	17	19	
r = (3i + 2j - 5k) + t(i - 6j - 2k) Given that the point (a, b, 0) lies on l. Find the $\chi^2$ statistic.					
find the value of $a$ and the value of $\mathcal{B}^{\text{ore help}}$	p, please visit <u>www.exa</u> A. 0.0	5 В	. 5% (	0.066	D. 5.44

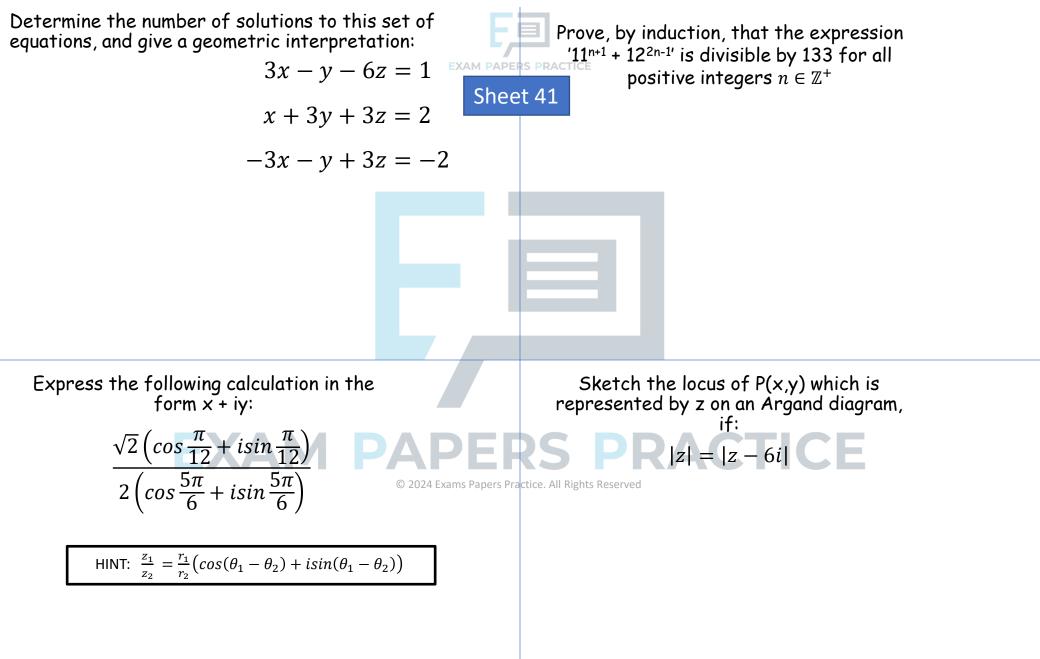


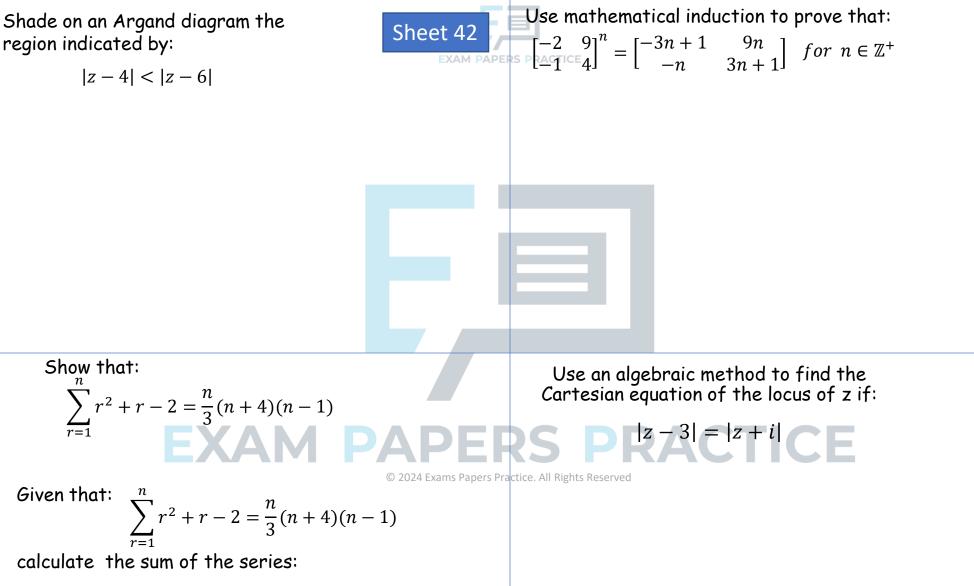












4 + 10 + 18 + 28 + 40 ... ... + 418

